## Sample Paper 4: Paper 1

## Question 5 (25 marks)

## Question 5 (a)

This is a bijective function as there is a perfect one to one correspondence between the $x$ and $y$ values. A bijective function means it is both an injective and surjective function.

| Injective Function | $\boxed{ }$ |
| :--- | ---: |
|  |  |
| Surjective Function |  |
| Bidective Function | $\boxed{ }$ |
|  |  |



## Question 5 (b)

This is a surjective function which means that every $y$ value has at least one matching $x$ value. It is not injective as many $y$ values have more than one corresponding $x$ value.


## Question 5 (c)

This is an injective function which means that every $y$ value has its own unique matching $x$ value.

| Injective Function |  | Domain $=\{0,1,2,3,4,5, \ldots\}$. <br> Range $=\{0,1,4,9,16, \ldots \ldots\}$. |
| :--- | :--- | :--- |
| Suriective Function | $\boldsymbol{X}$ | Every element in the domain matches to a <br> unique element in the codomain. There are <br> elements in the codomain that do not have a <br> matching element from the domain. |
| Bijective Function | $\boldsymbol{X}$ |  |

## Question 5 (d)

This is a bijective function as there is a perfect one to one correspondence between the $x$ and $y$ values. A bijective function means it is both an injective and surjective function.

| Injective Function | $\boxed{ }$ | Domain = \{Positive real numbers $\}$ <br> Range $=\{$ Positive real numbers $\}$ |
| :--- | :---: | :--- |
| Surjective Function | $\boxed{\checkmark}$ | Every element in the domain matches to a <br> unique element in the codomain. Every element <br> in the codomain has a unique matching element <br> from the domain. |
| Bijective Function | $\checkmark \checkmark$ |  |

## Question 5 (e)

This is a surjective function which means that every $y$ value has at least one matching $x$ value. It is not injective as many $y$ values have more than one correspoding $x$ value.

| Injective Function | $\boldsymbol{x}$ | Domain $=\{$ All real numbers $\}$ <br> Range $=\{$ Positive real numbers $\}$ |
| :--- | :---: | :--- |
| Surjective Function | $\boldsymbol{V}$ | Every element in the domain matches to at least <br> one element in the codomain. Some values in <br> the codomain match to two elements in the <br> codomain. For example, $2^{2}$ and $(-2)^{2}$ both map <br> on to 4. |
| Bijective Function | $\boldsymbol{x}$ |  |

## Question 5 (f)

This is not a function because $x$ values have two $y$ values.


